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Amazon and the Future of Retail

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**Abstract.** The growth of Amazon and other online retailers questions the survival of bricks-and-mortar retail. We show that, in response to the online trend, offline retailers – especially smaller ones – optimally follow a specialization strategy, in particular specialization in narrow niches. This may lead to an offline long tail that is thicker than the online long tail, contrary to existing research. Offline specialization benefits consumers; in fact, consumers would benefit from more specialization than it results in equilibrium. We discuss this and other relevant comparative statics based on a simple model of consumer demand and retail design. We complement our theoretical analysis with corroborative empirical evidence. To do so, we employ a large proprietary dataset obtained from a major US publisher detailing all sales to book retailers (both online and offline) over the 2016-2019 period.
1. Introduction

Over the last two and a half decades, Amazon has entered an increasing number of markets with its combination of product variety, low prices, and overall shopping convenience. Unlike Amazon, bricks-and-mortar stores — especially smaller ones — have limited capacity, are mostly limited to selling locally, and lack advanced data and analytics. In this dire context, it is natural to ask whether there is any hope for the survival of traditional retail.

The purpose of our paper is to analyze the implications of Amazon’s growth for the future of retail: Are brick and mortar stores doomed? If not, which ones are more likely to survive? And what strategic decisions can help them facing such a tough competitor? For instance, what type of products should they stock?

These are some of the questions we address. While these concerns — as well as our model — apply to virtually all industries, nowhere have they been more apparent than in the book retail market, Amazon’s initial segment of choice. Accordingly, we will develop our model and analysis with a focus on the book selling industry.

We consider a demand system with elements of horizontal differentiation (different book genres and different genre preferences) and vertical differentiation (different levels of book quality). Moreover, we assume that, all else equal, buyers may still have a preference for the channel they purchase from.

Our model describes a bricks-and-mortar store’s decision of whether to remain active and, if so, how to stock its shelves. We consider the trade-offs between a generalist bookstore and a specialist bookstore, i.e., one that is focused on a particular genre. Within the latter, we also distinguish between popular genres and niche genres. In various extensions of our baseline model, we consider the impact of pricing and exit decisions, offline competition, and consumer eclecticism.

Our central result is that, as Amazon becomes bigger (more available titles), a bookstore’s optimal strategy is likely to shift from generalist to specialist. Intuitively, the store’s choice trades off extensive margin, which favors a generalist approach, and intensive margin, which favors a specialist store. In other words, a generalist store attracts more potential customers, but a specialist store elicits greater willingness to pay from its patrons. As Amazon increases, both stores’ intensive margins decrease equally. The generalist bookstore’s extensive margin, by contrast, decreases at a faster pace than the specialist bookstore’s extensive margin.

A series of additional results provide comparative statics with respect to key parameters. Specifically, for a given size of Amazon, smaller stores are more likely to follow a specialist strategy and more likely to survive. We thus predict a “polarization” of the firm-size distribution, with a large player co-existing with multiple niche players and a declining number of mid-size and large bricks-and-mortar stores such as Barnes & Noble (see, e.g., Kahn and Wimer, 2019).

While this “vanishing middle” pattern has been observed by various authors in various contexts (see, e.g., Igami, 2011), our model also implies an additional, less obvious pattern: the bricks-and-mortar long tail. Specifically, we show that, in equilibrium, bricks-and-mortar stores can sell proportionally more niche titles than Amazon. This goes counter to Chris Anderson’s view of the Long Tail as it applies to online sellers:

People are going deep into the catalog, down the long, long list of available titles, far past what’s available at Blockbuster Video, Tower Records, and Barnes & Noble (Anderson, 2004).
Anderson’s intuition is straightforward: Amazon’s key advantage with respect to bricks-and-mortar stores is its lack of capacity constraints, which allows it to stock an incredibly high number of (increasingly obscure) titles. A bookstore that can only store – say – 1000 books, according to Anderson, will instead opt for 1000 popular, mainstream titles. After all, why use precious and scarce shelf space on books that only attract few potential buyers?

What’s missing from this observation and prediction is the endogenously determined bricks-and-mortar store strategy, both in terms of size and – especially – specialization. So, while it is true that an increasing percentage of total sales originate in niche products, our analysis suggests that this is not particularly true for online sellers; in fact it could be particularly true for bricks-and-mortar sellers.

Interestingly, this implies that Amazon is responsible for two conceptually distinct long tails: its own, resulting from its virtually infinite catalogue; and an offline one, which is the byproduct of offline stores’ specialization – itself a counter to Amazon’s increasing dominance.

We provide some empirical evidence for our theoretical claims, including in particular a dataset from a large publisher from 2016–2019. By observing all sales made by the publisher to different type of book retailers (independent bookstores, book chains, online retailers, airport bookstores) over this period – for a total of nearly 6 million transactions – we confirm that bricks-and-mortar bookstores have become smaller and more specialized than their competitors, to an extent that, overall, their long tail is longer than Amazon’s.

Road map. The rest of the paper is structured as follows: we first review the existing literature; After that, Section 2 contains our model, its main implications, and two main extensions (consumer eclecticism and endogenous prices); Section 3 our data and empirical findings in the book market context; Section 4 offers a discussion of our results. We conclude in Section 5.

Related literature. Conceptually, the paper that is closest to us is probably Bar-Isaac, Caruana, and Cuñat (2012), who in turn build on Johnson and Myatt (2006). Bar-Isaac, Caruana, and Cuñat (2012) develop a model with a continuum of firms who set prices and choose their product design as general or specialized. Consumers, in turn, search for prices and product fit. Their main results pertain to the comparative statics of lower search costs, specifically how these lower search costs can lead both to superstar effects and long-tail effects. By contrast, our main focus is on the effect of an increase in a dominant firm’s size (and quality, through better selection). Despite these differences, we share with Bar-Isaac, Caruana, and Cuñat (2012) the prediction that some firms “switch to niche designs with lower sales and higher markups” (p. 1142). As well, by considering the contrast between online and bricks-and-mortar stores, we illustrate the phenomenon of the bricks-and-mortar long tail, which departs from previous work, both theoretically and empirically.

Rhodes and Zhou (2019) observe that, in many retail industries, large sellers co-exist with small, specialized ones. They provide a possible explanation based on a model of consumer search frictions, showing that there exist equilibria where large, one-stop-shopping sellers co-exist with small, specialized sellers. We too provide an equilibrium explanation for the seller size distribution, albeit in a very different context (namely competition against a large online seller).

A number of authors have documented some of the patterns that motivate our analysis.
Brynjolfsson, Hu, and Simester (2011) show that “the Internet channel exhibits a significantly less concentrated sales distribution when compared with the catalog channel.” This corresponds to the long-tail conventional wisdom as in Anderson (2004). In contrast, we argue theoretically and suggest empirically that the bricks-and-mortar long tail may actually be thicker than the online one.

Goldmanis et al. (2010) interpret the expansion of online commerce as a reduction in search costs and examine the impact this has on the structure of bricks-and-mortar retail. They look at data from travel agencies, bookstores and new car dealers and show that market shares are shifted from high-cost to low cost sellers. This is consistent with our theoretical predictions, though the mechanism is different.

Choi and Bell (2011) establish a link between the prevalence of preference minorities (consumers with unusual tastes) and the share of online sales. Using data from the LA metropolitan area, they find a strong link, even when controlling for multiple potential confounders. In similar vein, Forman, Ghose, and Goldfarb (2009) “examine the trade-off between the benefits of buying online and the benefits of buying in a local retail store,” and show that “when a store opens locally, people substitute away from online purchasing.” However, they “find no consistent evidence that the breadth of the product line at a local retail store affects purchases.”

Consistent with both our theory and recent anecdotes from the US book market, Igami (2011) conducts an empirical analysis of Tokyo’s grocery market and finds that the rise of large supermarkets does not crowd out small, independent stores, but rather mid-size ones. Furthermore, we suggest that specialization — a strategy not available to (or at least not optimal for) mid-size retailers — is an important driver of small stores survival, suggesting that these results might fail to hold in markets in which specialization is not a possibility in the first place.

Neiman and Vavra (2019) observe that “the typical household has increasingly concentrated its spending on a few preferred products.” They argue that this is not driven by “superstar” products, rather by increasing product variety. “When more products are available, households select products better matched to their tastes.” They also argue that the distinction between online and offline sales does not play an important role in explaining this trend.

Focusing on the US book market, Raffaelli (2020) summarizes the drivers of independent bookstores’ recent success in 3 C’s: curation (“Independent booksellers began to focus on curating inventory that allowed them to provide a more personal and specialized customer experience”), convening (“Intellectual centers for convening customers with likeminded interests”) and community. All of these – and especially the first two – strongly resonate with both our theoretical and empirical findings.

2. Theory

Consider an economy with two book sellers, $a$ (Amazon) and $b$ (bricks-and-mortar); and two different book genres, $x$ and $y$. There is a measure one of book buyers, equally split into two types, $x$ lovers and $y$ lovers. Buyers of type $x$ (resp. $y$) have a value $v$ for one book of genre $x$ (resp. $y$) and zero for any book of genre $y$ (resp. $x$), where the value of $v$ is generated from
a cdf $F(v)$, where $f(v) > 0$ if and only if $v \in [0, \overline{v}]$, where $\overline{v}$ is possibly infinite.\(^1\)

We assume that, independently of preferences for $x$ and $y$, book buyers have a preference for firm $b$ (with respect to firm $a$). This preference can reflect an intrinsic taste for in person shopping, a desire to support small businesses, or an ideological aversion to (or taste for) Amazon, for instance. We assume that this preference is uniformly distributed in $[0, \overline{v}]$.\(^2\)

Seller $a$ carries all titles in the economy, a total of $s$ titles, $s/2$ of each genre. By contrast, seller $b$ can only carry $k$ titles, that is, $k$ measures the bookstore’s capacity. Book prices are constant and exogenously given (until later in this section), and with no further loss of generality we assume prices are equal to $\$1$.

At a given seller, buyers can learn both the genre and the value $v$ of a title at no cost. By contrast, when $b$ chooses what books to carry, it can observe genre but not $v$. Each buyer selects the bookseller providing the highest expected value and, within a given bookstore, buys the one book that yields the highest value. If the store carries $x$ titles of the buyer’s preferred genre, then the buyer receives a value $m(x)$, where $m(x)$ is the expected value of the highest element of a sample of size $x$ drawn from $F(v)$.

**General or specialty store?** The focus of our analysis is on bookstore $b$’s strategy as the value of $s$ increases. Specifically, firm $b$ (the bricks-and-mortar store) has three options: to exit, to remain active as a general store, and to remain active as a specialty store. A general store sells up to $k/2$ titles of each genre, whereas a specialty store can sell up to $k$ titles of a given genre.

We first consider the case when $b$ pays no fixed cost to remain active, so that it’s a dominant strategy to remain active. The only question is then how to design the store, namely whether to be a general or a specialty store. We present our results both as comparative statics with respect to the value of $s$ (a measure of growth in the size of the online store), and $k$ (size heterogeneity across bricks-and-mortar stores). Our first two results are based on the following assumption:

**Assumption 1.** $\overline{v} - \underline{v} > m(k)$.

This assumption ensures that the solution in interior.\(^3\) Specifically, when Assumption 1 fails to hold we are in a corner solution whereby it is a dominant strategy for $b$ to be a general store. If Assumption 1 holds, however, then the choice of general or specialty store depends on the relative value of $s$ and $k$, as stated in the following result:

**Proposition 1.** Suppose Assumption 1 holds. (a) There exists a threshold $s_{gs} = s_{gs}(k, \overline{v})$ such that an active firm $b$ optimally chooses to be a specialty store if and only if $s > s_{gs}$. Moreover, $s_{gs}(k, \overline{v})$ is increasing in both $k$ and $\overline{v}$. Equivalently, (b) There exists a threshold $k_{gs} = k_{gs}(s, \overline{v})$ such that an active firm $b$ optimally chooses to be a specialty store if and only if $k < k_{gs}$. Moreover, $k_{gs}(s, \overline{v})$ is decreasing in $s$ and increasing in $\overline{v}$.

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\(^1\) For instance, $F(\cdot)$ could be a bounded distribution — like a uniform, which we will use for some of our numerical results — or an unbounded one — like an exponential — reflecting the (rare) presence of arbitrarily good books in each genre.

\(^2\) The assumption that the lower bound of $z$ is zero simplifies the analysis and is without loss of generality. That is, all of our results would be unaffected if we assumed a negative lower bound for $z$, corresponding to a relative preference for Amazon.

\(^3\) We note that Assumption 1 is trivially satisfied when $\overline{v} = \infty$. 

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In order to understand the intuition for Proposition 1, note that the choice between a general and a specialty store trades off an “extensive margin” and an “intensive margin” effect. By switching to a specialty strategy a store forgoes half of its potential customers, those interested in the genre that is no longer stocked. On the other hand, by stocking twice as many titles of the specialty genre the store increases the expected quality that a patron expects from visiting the store. As total supply \( s \) increases, the expected payoff from visiting store \( a \), \( m(s) \), increases. This implies that store \( a \) becomes relatively more attractive, which in turn lowers the demand for store \( b \). This reduction in demand decreases the extensive margin, while the intensive margin remains constant. In net terms, the increase in \( s \) makes the specialty option relatively more attractive. Specifically, the opportunity cost of becoming a specialty store — the extensive margin — declines with \( s \).

The comparative statics for the specialization cutoffs are intuitive. First, for a given value of \( s \), a larger store is less likely to specialize, that is, it requires a larger Amazon for such a store to abandon a generalist strategy. Or, to put it differently, store \( b \)'s decision to specialize is based on its relative size with respect to Amazon.\(^4\) Similarly, the threat posed by Amazon is lower the greater \( z \), that is, the greater the buyers' aversion to purchasing from Amazon. Accordingly, store \( b \) is less likely to become a specialty store as a strategy to cope with online competition.

Another way of understanding Proposition 1 is that, as \( s \) increases, the profit of both a general and a specialty store decrease. However, the profit of a general store decreases at a faster rate. In other words, specialty stores are better “insured” against Amazon’s growth, whereas general stores (such as Barnes & Noble or the now defunct Borders) are likely to suffer bigger profit losses. Industry players understand these dynamics. James Daunt, CEO of UK chain Waterstones, argues that

[Amazon’s] unmatchable scale is liberating for booksellers; it means stores can focus on curating books that communicate a particular aesthetic, rather than stocking up on things people need but don’t get excited about (Todd, 2019).

In private communication, Mark Cohen, Director of Retail Studies at Columbia GSB, echoes this view:

There is a tremendous resurgence of local bookstores, but these have relevance because (...) they’re not trying to be all things to all people as Barnes & Noble has always tried to be. They’re either picking on a genre or curating an assortment that appeals to a local customer.

\[ \text{Niche genres.} \] So far we have assumed that both genre \( x \) and genre \( y \) have the same popular appeal. A more realistic case has one of the genres — say, genre \( x \) — be a popular genre, whereas \( y \) is a less popular one — a niche genre. Suppose that there is a measure \( 1 \) of potential book buyers, \( \alpha \) of which are only interested in genre \( x \) books; and suppose that \( \alpha > \frac{1}{2} \). (So far, we have implicitly assumed that \( \alpha = \frac{1}{2} \).) Consistent with the assumption that genres \( x \) and \( y \) have different popular appeal, we assume that a fraction \( \alpha s \) of the total titles are of genre \( x \), and a fraction \( (1 - \alpha)s \) are of genre \( y \). Proposition 1 states that, as \( s \) increases, store \( b \) optimally switches from general to specialty store. The next proposition

\(^4\) Non-linearities in \( m(\cdot) \) imply that the ratio \( k/s \) is not a sufficient statistic for the specialization decision. Still, the specialist strategy is more likely when either \( k \) is small or \( s \) is large.
Figure 1
Bookstore profits from specializing in popular genre ($\pi_x$) or niche genre ($\pi_y$) as a function of $s$ when $F(v) = v/\overline{v}$.

complements that result by stating that, within the specialty strategy, store $b$ optimally chooses the niche strategy if $s$ is high enough.

Proposition 2. Suppose Assumption 1 holds. There exists an $s_{xy}$ such that an active store $b$ specializes in a niche genre (rather than a popular genre) if $s > s_{xy}$.

Figure 1 illustrates Proposition 2 (as well as the proof, which can be found in the Appendix). The key insight is that, relatively speaking, a niche-genre store suffers less from an increase in $s$ than a popular-genre store. For low values of $s$, this advantage of a niche-genre store is outweighed by the simple fact that a popular genre is more popular, that is, attracts a greater number of potential customers. For high values of $s$, however, the niche strategy becomes increasingly attractive, as illustrated by Figure 1. Specifically, for $s > s_{xy}$, $\pi_y$, the profit from a niche-genre strategy, is greater than $\pi_x$, the profit from a popular-genre strategy.

Formally, the proof of Proposition 2 proceeds by deriving the value $s_x$ when $\pi_x = 0$ and establishing that, at that value, $\pi_y > 0$. This proof strategy is similar to that of Proposition 1. There is one difference, however. In Proposition 1, we show that $s > s_{gs}$ is a necessary and sufficient condition for specialization. By contrast, in Proposition 2 $s > s_{xy}$ is only a sufficient condition. The difference stems from the fact that we can prove the monotonicity of $\pi_y - \pi_g$ in general terms but not the monotonicity of $\pi_y - \pi_x$. If we further assume that $v$ is uniformly distributed then the condition $s > s_{xy}$ becomes a necessary and sufficient condition.5

An implication of this result is that bricks-and-mortar sales are more niche-concentrated than online sales (or total sales). In other words, we uncover a novel reason why Amazon is leading (indirectly) to a thickening of the long tail. We return to this in the next section.

General, popular-genre, and niche-genre stores. A natural extension of the analysis so far is to integrate the choice of generalist vs specialist (Proposition 1) with the analysis

5. The proof can be obtained from the authors upon request.
Figure 2
Optimal stocking policy for generalist store (assuming \(v\) is uniformly distributed). \(\alpha\) is the fraction of genre \(x\) buyers, whereas \(\beta\) is the fraction of genre \(x\) books optimally stocked by a generalist store.

Figure 2 illustrates this decision in the case when \(F = v\), and so \(m(x) = x/(1 + x)\). If the value of \(k\) is small (\(k = 1\) in the present example), then the optimal stocking policy is to over-stock the most popular genre. This is shown by \(\beta > \alpha\) for \(\alpha > \frac{1}{2}\) (red line). By contrast, if the value of \(k\) is large (\(k = 10\) in this example), then the optimal stocking policy is to over-stock the least popular genre. This is shown by \(\beta > \alpha\) for \(\alpha < \frac{1}{2}\) (blue line). Intuitively, when \(k\) is large the marginal value of an extra title is lower, due to concavity of \(m(k)\). This is particularly true for a popular genre. Therefore, in relative terms, at the margin the seller is better off by stocking a title of a niche genre. By contrast, if \(k\) is small then the extensive margin effect dominates and the seller is better off by overstocking (relatively speaking) the popular genre.

Taking into account the optimal stocking strategy, Figure 1 plots the profit of a general store (as well as the profit function of a specialty store focused on a popular genre \((x)\) or a niche genre \((y)\). As can be seen, as \(s\) increases, firm \(b\)'s optimal choice shifts from being a general store to being a specialty store focused on the popular genre to finally being a specialty store focused on the niche genre. In this way, Figure 1 illustrates both Proposition 1 and Proposition 2.

■ Exit. Suppose now that the bricks-and-mortar store must pay a fixed cost \(ck\) in order to operate, where \(c\) is cost per unit of capacity. Moreover, in order to make reasonable comparative statics with respect to \(k\), we now assume that the measure of consumers who
must decide between buying from a or buying from b is equal to k (This is something that we had discussed changing, right? I can do it tomorrow morning if confirmed. I believe that, by doing this, we will get a vanishing middle, as desired.) In other words, we assume the bookstore’s technology is characterized by constant returns to scale: both capacity costs and potential consumer reach vary linearly with k. We will return to this assumption later.

Now that we assume \( c > 0 \), a third option — exit — becomes non-trivial. We consider the bookstore’s optimal choice in the \((s,c)\) space, now a choice between being a general store, a specialty store, or simply exiting. (We return to assuming two genres of equal size, so that the only relevant decision is whether to specialize, not what genre to specialize in.)

From Proposition 1, we know there exists a threshold \( s_{gs} \) such that, conditional on being active, a specialty-store strategy is better than a general-store strategy if and only if \( s > s_{gs} \). We will return to this assumption later.

Now that we assume \( c > 0 \), a third option — exit — becomes non-trivial. We consider the bookstore’s optimal choice in the \((s,c)\) space, now a choice between being a general store, a specialty store, or simply exiting. (We return to assuming two genres of equal size, so that the only relevant decision is whether to specialize, not what genre to specialize in.)

From Proposition 1, we know there exists a threshold \( s_{gs} \) such that, conditional on being active, a specialty-store strategy is better than a general-store strategy if and only if \( s > s_{gs} \). We will return to this assumption later.

Proposition 3. For a given \( s \), firm b’s optimal choice is to exit if and only if \( c > c^\circ(s) \). Conversely, for a given \( c > \underline{c} \), where \( \underline{c} \equiv (m(2k) + \overline{v} - \overline{v})/(2\overline{v}) \), firm b’s optimal choice is to exit if and only if \( s > s^\circ(c) \). Finally, if \( c < \underline{c} \) then exit never takes place.

The intuition for the first part of Proposition 3 is trivial: if cost is high enough, then store b’s optimal strategy is to exit. The less obvious part of the result is that, for a given c, exit takes place for a high enough s. The idea is that, as the discussion of Proposition 1 makes clear, an increase in s makes store a relatively more attractive, and thus reduces store b’s profit. The condition in Proposition 3 is required because, if c is low enough, then a specialty store makes a positive profit regardless of the value of s. In other words, a specialty store’s profit converges to a positive lower bound as s tends to infinity.

Figure 3 plots the exit boundary in the \((s,c)\) space, as well as the threshold derived in Proposition 1, in the particular case when \( F(v) = v/\overline{v} \). The boundary \( c^\circ(s) \) is the minimum of two boundaries, the exit boundary for a general store and the exit boundary for a specialty store, both of which are plotted in Figure 3. Together with the \( s_{gs} \) threshold, these lines define three regions: the GENERAL region, defined by \( s < s_{gs} \) and \( c < c^\circ \) (effectively, the generalist exit boundary); the SPECIALTY region, defined by \( s > s_{gs} \) and \( c < c^\circ \) (effectively, the specialty exit boundary); and the EXIT region, defined by \( c > c^\circ \).

It’s unlikely that there have been any major changes in the fixed cost of keeping a bricks-and-mortar store open (except for the general increase in commercial real estate prices in some areas). Aside from Amazon, the most relevant changes in terms of the cost and benefit of operating a store in a given location are likely to be related to local demographics. In our model set up, we normalize price and quantity per title. As such, the relevant changes in demographics are absorbed in the value of the fixed cost \( c_k \). So, for example, an increase in income in a given neighborhood would be measured by our model as a decrease in c. In what follows, we consider this interpretation of the value of c.

Based on Figure 3, we may consider several possible exogenous changes in \( s \) and \( c \). Moves A, B and C correspond to an increase in the number of titles, \( s \). In case A, we have a store with a high value of \( c \), which we may interpret as a neighborhood with demographics unfavorable to book selling. As the value of \( s \) increases, we observe a general store exit. (Recall that if \( s \) is small enough then all stores are general stores.) In other words, considering the store’s relatively low “efficiency” (as measured by \( c \)) the store does not even try the strategy of being a specialty store, it simply cannot put up with a’s competition.
Figure 3
Optimal choice in the \((s, c)\) space (number of titles, fixed cost) in the linear case

By contrast, in case \(B\) we have a store with a lower value of \(c\). As with store \(A\), \(B\) starts off as a general store when \(s\) is low. As \(s\) increases, long after store \(A\) has gone out of business, \(B\) remains active, but past \(s = s_{gs}\) becomes a specialty store. As \(s\) continues to increase, \(B\) eventually exists as well.

Finally, in case \(C\) we observe a store that is sufficiently efficient (in the sense of having a low value of \(c\)) that no matter how high \(s\) is it remains active. Notice however that, similarly to \(B\), store \(C\) becomes a specialty store when \(s > s_{gs}\).

Moves \(D\) and \(E\) correspond to a decrease in \(c\). In case \(D\), we observe the entry of a general store, whereas in case \(E\) we observe the entry of a specialty store. Naturally, the move would be reversed if we considered an increase in \(c\). As mentioned earlier, a change in \(c\) is best interpreted as a change in local demand conditions (since \(c\) is effectively measured in units of consumer demand). Consider for example a decrease in \(c\) (more favorable local demand conditions). At a time when \(s\) is low, the new entrant would have entered as a general store. However, as \(s\) increases, the same decrease in \(c\) is now more likely to lead to the entry of a specialty store.

Figure 3 also helps understand the contrast between urban and suburban/rural areas. If a bricks-and-mortar store has limited spatial reach, then it makes sense to think of urban areas as areas where each store has a higher potential demand, which in turn corresponds to a lower value of \(c\). One might argue that urban density also implies higher costs, in particular real-estate costs. However, if the long-run supply of real estate is relatively flat, then an increase in density leads to an increase in the ratio of density over monetary cost, which effectively corresponds to a lower \(c\).

Now suppose that the value of of \(s\) is close to the disruption level \(s_{gs}\). Suppose moreover that, empirically, store heterogeneity within a certain area corresponds to variation in \(c\) and, in particular, variation in the effective value of \(s\) for that store. For example, there might be variation in store-specific preference which enters the profit function in the same way as variation in \(s\). In this context, as we compare an urban area (low value of \(c\), something like level \(C\) in Figure 3) with a suburban area (high value of \(c\), something between levels \(A\) and \(B\) in Figure 3), we observe that, in the former, stores are either general of specialty stores; whereas, in the latter, they are either general stores or exiters. This implies that,
starting from a certain distribution of general and specialty stores, we would expect the distribution of stores in the urban area to skew in the direction of specialty stores. It is important to note that this relation between market density and the skew toward specialization is not due to the classical Adam Smith argument that the division of labor is limited by market size. In fact, moving along a vertical line (cases D and E in Figure 3) does not change the degree of specialization, only the entry/exit decision. Our point is that the combination of entry/exit decisions and the disruption caused by changes in $s$ may lead to an observed association between market density and specialization even if we assume constant returns to scale.

**Endogenous prices.** So far we have assumed that all books are priced $1. This has allowed us to focus on the main issues regarding specialization while keeping the analysis tractable. We now explicitly consider pricing choices. Our goal is to verify the robustness of our previous findings as well as to develop additional intuition regarding the comparative statics of Amazon’s expansion.

Consistent with the clear prominence of online platforms such as Amazon, we assume that firm $a$ acts a price leader by setting $p_a$ first. Recall that the actual market structure we have in mind includes one dominant firm and a large number of fringe firms. Although for simplicity we focus on the decisions of one representative fringe firm, it makes sense to treat firms $a$ and $b$ as different types of strategic player.

Once the online store $a$ chooses price $p_a$, the bricks-and-mortar store $b$ responds by setting its price, which we denote by $p_g$ if the store is a general store and $p_s$ if the store is a specialty store. Our focus is on firm $b$’s decisions. Accordingly, we take $p_a$ as an exogenous variable (and later consider comparative statics with respect to it). Similar to Propositions 1 and 2, we make a parameter assumption so as to eliminate trivial corner solutions:

**Assumption 2.** $p_a > \frac{z + m(k) - \sqrt{2} m(k/2)}{\sqrt{2} - 1}$.

If Assumption 2 fails to hold, then we may be in a corner solution where a specialty store is always optimal. In what follows, we first solve for store $b$’s optimal price and then reconsider the store’s optimal positioning (general or specialty). Our next result extends the main intuition of Proposition 1, adding one new dimension of comparative statics.

**Proposition 4.** Suppose Assumption 2 holds. There exists a threshold $s_{gs}$ such that store $b$ optimally chooses to be a specialty store if $s > s_{gs}$. In the right neighborhood of $s_{gs}$, the specialty store sets a higher price, captures a lower market share and earns a higher profit than a general store.

When discussing Proposition 1, we argued that the trade-off between a general and a specialty store is a trade-off between the extensive margin (which favors a general store) and the intensive margin (which favors a specialty store). The proof of Proposition 4 establishes that, when it comes to price setting, only the intensive margin matters. This explains why a specialty store sets a higher price than a general store. By devoting its space to one book genre only, a specialty store elicits a higher willingness to pay (from buyers interested in that genre), which in turn allows the store to set higher prices. This increases the store’s incentives to specialize.
Similar to Proposition 1, Proposition 4 establishes that, if firm $a$ is big enough (high $s$), then firm $b$ is better off by becoming a specialty store. The main intuition for the $s$-threshold part of Proposition 4 is similar to Proposition 1: As total supply $s$ increases, the expected payoff from visiting store $a$, $m(s)$, increases. This implies that store $a$ becomes relatively more attractive, which in turn lowers the demand for store $b$. This reduction in demand decreases store $b$'s extensive margin, while the intensive margin remains constant. In net terms, the increase in $s$ makes the specialty store option relatively more attractive. Specifically, the opportunity cost of becoming a specialty store — the extensive margin — declines with $s$. In sum, the first part of Proposition 4 shows that the intuition from Proposition 1 is robust to the introduction of pricing.

The novel aspect of Proposition 4 is its second part, the statement that, past the disruption level $s_{gs}$, a specialty store sets a higher price, captures a lower market share and earns a higher profit than a general store. We call this the *boutique effect*. The specialty store in the model with fixed prices trades-off extensive margin and intensive margin so as to maximize the number of customers. By switching from general to specialty store, firm $b$ loses potential customers, but its offering becomes so much more attractive to its reduced set of customers that it ends up attracting more customers. By contrast, once we introduce prices we observe that the switch to specialty firm not only sacrifices potential demand but also sacrifices actual demand. Such drop in actual demand is more than compensated by an increase in the intensive margin via higher sale prices.

**Eclectic consumers.** So far we have assume that consumers are divided into $x$ fans and $y$ fans, specifically the value $v$ of a book outside of a consumer's preferred genre is zero. At the opposite extreme, consider the case when consumers are totally eclectic, that is, they value both genres equally.

Clearly, eclectic consumers are bad news for specialty stores. Before, an $x$ fan valued a specialty store at $m(k)$ and the online store at $m(s/2)$. By contrast, an eclectic consumer values the online store at $m(s)$ whereas the specialty store is still valued at $m(k)$ (here we are excluding the preference parameter $z$).

Regarding a general store, the analysis is not as obvious. Before, the value of a general store was $m(k/2)$ for an $x$ fan or a $y$ fan, whereas the value of the online store was $m(s/2)$. By contrast, an eclectic consumer values the online store at $m(s)$ whereas the general store is at $m(k)$ (again, we are excluding the preference parameter $z$). In which case is the general store better off? The answer depends on which difference is greater, $m(s/2) - m(k/2)$ or $m(s) - m(k)$. Notice that $m(s/2) - m(k/2) > m(s) - m(k)$ if and only if $m(s) - m(s/2) > m(k) - m(k/2)$. Since $s > k$, $s - s/2 > k - k/2$, which would suggest the inequality holds. However, concavity of $m(x)$ would work against the inequality. Suppose that $F = v$ is linear, so that $m(x) = x/(1 + x)$. Then the function $m(x) - m(x/2)$ is non-monotonic, first increasing and then decreasing. This implies that we can fin values of $s$ and $k$ such that the inequality is in turn true or false. So, even assuming a specific distribution of $v$, we cannot guarantee that a general store is better off or worse off when serving eclectic consumers rather than polarized consumers.

It has long been argued that Amazon benefits from increased consumer specialization, and that this is largely the purpose of its recommendation system: by presenting each consumer with increasingly personalized offerings, it makes bookstores — which, due their limited size, cannot cater to each consumer's idiosyncrasies — obsolete.
However, as the above analysis shows, this is not necessarily true when we endogenize bricks-and-mortar stores’ strategies: more specialized consumers allow specialty stores to emerge, which can be detrimental to Amazon’s profits.

**Bricks-and-mortar store competition.** Up to now we considered competition between one online store and one bricks-and-mortar store. Implicitly, the idea is that there are a plethora of small (possibly independent) bricks-and-mortar stores with a catchment area that does not overlap with any other bricks-and-mortar store.

Consider now the case when two bricks-and-mortar stores, stores $b_0$ and $b_1$, do compete for the same potential demand. Specifically, we assume a consumer is characterized by a value $z$ and a relative preference between stores $b_0$ and $b_1$ in the form of a location $d \in [0, 1]$ and transportation cost $t$ per unit of distance to store $b_0$ (located at 0) and to store $b_1$ (located at 1).

Figure 4 illustrates the competition case. On the horizontal axis we measure the consumer location $d$, where $d = 0$ corresponds to bricks-and-mortar store $b_0$ and $d = 1$ corresponds to bricks-and-mortar store $b_1$. On the vertical axis we measure $z$, the relative preference for a bricks-and-mortar store. We assume that $d$ and $z$ are independently and uniformly distributed: $d \sim U[0, 1]$ and $z \sim U[0, \bar{z}]$. Since there are two different genres, we need to plot one graph per genre, genre $x$ on the top panel and genre $y$ on the bottom panel.

Figure 4 illustrates the case when both $b_0$ and $b_1$ are general stores. Store $b_0$’s demand of genre $x$ is given by the area in blue in the top panel, whereas store $b_0$’s demand of genre $y$ is given by the area in red in the top panel. To understand that, notice that store $b_0$ must beat both store $a$ and store $b_1$. Beating store $a$ requires

$$m(k/2) + z - td > m(s/2)$$

whereas beating store $b_1$ requires

$$m(k/2) + z - td > m(k/2) + z - t(1 - d)$$

This results in the following set of inequalities

$$z > m(s/2) - m(k/2) + td$$
$$d < \frac{1}{2}$$

which in turn correspond to the areas in blue (top panel) and red (bottom panel).

Given that $b_1$ chooses to be a general store, how does $b_0$ change its profits by specializing in genre $x$? Store $b_1$’s demand from $x$ consumers is now determined by

$$m(k) + z - td > m(s/2)$$

(beat firm $a$) and

$$m(k) + z - td > m(k/2) + z - t(1 - d)$$

(beat firm $b_1$). This simplifies to

$$z > m(s/2) - m(k) + tx$$
$$d < d_{gs} \equiv \frac{1}{2} + (m(k) - m(k/2)) / t$$
This corresponds to an increase in demand for genre $x$ given by the area in green on the top panel and a loss in demand for genre $y$ given by the area in red on the bottom panel. The green area on the top panel corresponds entirely to consumers who purchased from $a$ when both $b_0$ and $b_1$ were general stores and now prefer to buy from $b_0$, the genre $x$ specialty store. The red area on the bottom panel corresponds to consumers who were interested in store $b_0$ when it was a general store but are now not interested since it no longer carries any genre $y$ titles.

The values of $s$ and $k$ in Figure 4 were chosen so that the areas in green and red are equal. This implies that, given that store $b_1$ follows a general-store strategy, store $b_0$ is indifferent between being a general store and being a specialty store. Suppose now that $b_1$ chooses to be a $y$-specialty store. What is the gain for store $b_0$ from specializing in $x$? This alternative scenario is described in Figure 5. In terms of $x$ consumers, the battle is now limited to firms $b_0$ and $a$, since firm $b_1$ is absent from this genre. Demand for firm $b_0$ is determined by

$$m(k/2) + z - td > m(s/2)$$
Figure 5
Store strategy under bricks-and-mortar competition

\[ m(s/2) - m(k/2) \]

\[ m(s/2) - m(k) \]
which corresponds to the area in blue. Regarding genre $y$ (bottom panel), we still need to consider both competition by $a$ and competition by $b_1$. Since $b_1$ is a genre $y$ specialty store, we now have
\[
  z > m(s/2) - m(k) + tx \\
  d < 1 - d_{gs} \equiv \frac{1}{2} + \left( m(k/2) - m(k) \right) / t
\]
which corresponds to the area in red. What happens to firm $b_0$’s profit as it switches from a general store to a genre $x$ specialty store? On the top panel (that is, in terms of $x$ sales), it experiences a profit increase given by the green area. On the top panel (that is, in terms of $y$ sales), it experiences a profit loss given by the red area.

Immediate inspection reveals that the green area in the top panel of Figure 5 is greater than the green area in the top panel of Figure 4, whereas the red area in the bottom panel of Figure 5 is lower than the red area in the bottom panel of Figure 4. This implies that, if firm $b_0$ is indifferent between begin a general and a specialty store when its rival is a general store, then it strictly prefers to be a specialized store when its rival is a specialty store.

More generally, the above argument implies the following proposition regarding competing bricks-and-mortar stores.

**Proposition 5.** Let $s$ be such that store $b_0$ is indifferent between being general store and being a specialty store. Then, in the neighborhood of $s$, being a specialized store is a strict best response to the rival choosing to be a specialty store.

Proposition 5 suggests that competition provides an additional force pushing in the direction of specialization. Suppose that we fix firm $b_1$’s strategy at being a general store. As $s$ crosses a certain threshold, say $s_o$, firm $b_0$’s optimal strategy switches to becoming a specialty firm (of either $x$ or $y$). However, if firm $b_1$ has become a specialty firm (choosing, say, genre $y$), then, even if $s$ is lower than $s_o$. The fact that the new $s$ threshold is lower when $b_1$ follows a specialty-store strategy indicates that competition is an additional force toward specialization.

Note how Amazon is strictly worse off when competing with two specialty stores compared to two generalist stores. Again, this suggests caution when interpreting a higher degree of consumer polarization as a desirable outcome for larger, online retailers.

**Welfare analysis.** All of our analysis so far has focused on firm $b$’s profits and optimal choices. A natural follow-up question is the relation between firm $b$’s decisions and consumer welfare. Let us go back to the model with fixed prices and one bricks-and-mortar store, firm $b$. Let us consider, as in the initial model, the choice between a general and a specialty store. Suppose social welfare is given by consumer surplus plus firm profits. Since all sellers set $p = 1$ and the market is covered (all consumers make a purchase, a consumer surplus is a sufficient statistic of social welfare.

Figure 6 illustrates the contrast between a general and a specialty store when competing against firm $a$. On the horizontal axis we measure each consumer’s value of $z$, that is, their disutility from buying from firm $a$. On the vertical axis we measure the advantage, in terms of vertical quality, of the online store with respect to the bricks-and-mortar store. The $45^\circ$ line measures the points at which the “horizontal” differentiation advantage of firm $b$ exactly compensates the “vertical” differentiation advantage of firm $a$. 

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Consider first the case of a general store $b$. Its disadvantage with respect to store $a$ is given by $m(s/2) - m(k/2)$. It follows that only consumers with a value of $z$ greater than $z''$ purchase at the bricks-and-mortar store. Since $z$ is uniformly distributed, we conclude that firm $b$'s market share is given by $q_g = \overline{z} - z''$.

Consider now the case of a specialty store $b$. Its disadvantage with respect to store $a$ is given by $m(s/2) - m(k)$. It follows that only consumers with a value of $z$ greater than $z'$ purchase at the bricks-and-mortar store. Since $z$ is uniformly distributed, we conclude that firm $b$'s market share (among its genre followers) is given by $q_s = \overline{z} - z'$. However, we must keep in mind that if firm $b$ focuses on genre $x$, for example, then it loses potential buyers who are only interested in $y$. In other words, by becoming a specialty store firm $b$ halves its potential demand. Therefore, its market share is $(\overline{z} - z')/2$.

The values of $s$ and $k$ were selected so that $\pi_g = \overline{z} - z'' = (\overline{z} - z')/2 = \pi_s$. In other words, for the particular values of $s$ and $k$ underlying Figure 6 firm $b$ is indifferent between being a general store or being a specialty store. Consumers, however, are not indifferent between the two types of store. Consumer surplus is given by the area below

$$\max\{m(s/2), z + m(\tilde{k})\}$$

where $\tilde{k} = k/2$ or $\tilde{k} = k$ for a general and a specialty store, respectively. It follows that, for genre $x$ consumers, the switch from a general to a genre $x$ specialty store implies an increase in consumer surplus given by the green trapezoid in Figure 6. By contrast, for genre $y$ consumers the switch implies a decrease in consumer surplus given by the red area in Figure 6. By construction, the green area is greater than the red area. More generally, we have just established the following result:

**Proposition 6.** When store $b$ is indifferent between being a general or a specialty store, the average consumer strictly prefers the latter.

Intuitively, consumer surplus is “convex” in the vertical utility provided by bricks-and-mortar store. This implies that consumers prefer the “bet” of having a specialty store of their preferred genre with probability 50% than a general store with probability 100%.
This intuition is related to a number of results in the IO literature. Mankiw and Whinston (1986) provide conditions such that, in equilibrium, there is excess entry into a market. Intuitively, the entrant does not correctly take into account the positive externality it creates for consumers nor the negative externality it creates for its competitors. Similarly, our firm $b$ does not take into account the positive surplus effect it has on the consumers who like the genre in which they specialize.

The result is also related to the (related) concept of the “tyranny of the majority” or “tyranny of the market” (Waldfogel, 2007). Another related result regarding relative weights on surplus creation is given by Cabral (1994). Finally, the idea that convexity of the consumer’s utility function may lead consumers to prefer variance in outcomes is related to Samuelson (1972).

3. Empirical evidence

Our theoretical results imply a series of predictions. In this section, we discuss empirical evidence from the bookstore industry, specifically evidence from a novel large data set provided by publisher PenguinRandomHouse (PRH). The data includes store-title-level wholesale purchases of PRH titles at a monthly frequency. We do not observe sales from each channel to consumers. Rather, we assume orders and sales are highly correlated and use the former as a proxy for the latter. We also have detailed information on the approximately 2,800 bookstores, including address and type of store. Specifically, we divide bookstore orders into four different channels:

- **Online D2C**: Sales made to Amazon.
- **Bookstores**: Sales made to independent bookstores (an aggregated version of the bookstore level data).
- **Bookchains**: Sales made to bookstore chains such as Barnes & Noble etc.
- **Mass Merchandiser**: Sales made through large non-specialty stores such as Target, Walmart etc.

Since purchases are rather sparse (i.e., there are many zeros), and since individual bookstores rarely reorder the same book over multiple months, we aggregate orders at the title-author level, over time (2016-2019), and across multiple stores owned by the same firm. This results in a sample of 39,000 unique book titles purchased (from PRH), for a total of over 5,700,000 transactions.\(^7\)

We now present a variety of facts that corroborate our theoretical findings.

**Stocking decisions across channels.** Proposition 1 predicts that, as Amazon increases in size, bricks-and-mortar stores – and especially smaller ones – will become increasingly specialized.

Extending Proposition 1 to the case of mainstream and niche genres, Proposition 2 implies that bricks-and-mortar sales can be more niche-concentrated than online sales (or total sales), despite bricks-and-mortar stores’ relatively small size. In other words, Proposition 2 uncovers a novel reason why (indirectly) Amazon is leading to a thickening of the long tail.

\(^6\) This section is still preliminary.

\(^7\) Each transaction typically includes multiple copies of a given format of a given title on a given date.
One simple way to test these predictions is to compute concentration indexes by type of channel. To this end, we first compute the number of books and titles ordered by different channels. Then, we ask: “What does the distribution of sales look like? How does this differ across channels?” To answer this question we compute the percentage of sales due to the top N books.

Table 1
Aggregate data by channel

<table>
<thead>
<tr>
<th></th>
<th>Chains</th>
<th>Bookstores</th>
<th>Mass Mer.</th>
<th>Online D2C</th>
</tr>
</thead>
<tbody>
<tr>
<td>(a) # titles</td>
<td>43,887</td>
<td>39,267</td>
<td>12,875</td>
<td>47,903</td>
</tr>
<tr>
<td>(b) # books</td>
<td>127,602,337</td>
<td>31,701,747</td>
<td>171,420,650</td>
<td>163,995,077</td>
</tr>
<tr>
<td>(b)/(a)</td>
<td>2,907</td>
<td>807</td>
<td>13,314</td>
<td>3,423</td>
</tr>
</tbody>
</table>

Table 1 shows that, despite being by far the smallest channel in terms of book orders, bookstores combine for nearly as many title orders as chains and Amazon, and over three times as many title orders as mass merchandisers.

This offers initial, suggestive evidence of bookstores’ shying away from a generalist strategy. If each bookstore was a generalist, they would also be quite homogeneous. But then, given their limited size (the average bookstore in our dataset orders around 1000 titles), the total number of titles purchased by US bookstores would be nowhere close to 39,267. At the same time, the average number of books sold per title would be far higher.

The offline long tail. We now turn to studying the sales distribution for the different channels. This is displayed in Table 2 below. The table shows, for multiple values of N, the percentage of sales accounted for by the (channel specific) top N sellers.

Table 2
Sales concentration by channel

<table>
<thead>
<tr>
<th>N</th>
<th>Book Chains</th>
<th>Book Stores</th>
<th>Mass Merchand.</th>
<th>Online D2C</th>
</tr>
</thead>
<tbody>
<tr>
<td>100</td>
<td>11.2</td>
<td>11.1</td>
<td>21.4</td>
<td>14.7</td>
</tr>
<tr>
<td>500</td>
<td>28.7</td>
<td>26.0</td>
<td>54.4</td>
<td>34.0</td>
</tr>
<tr>
<td>1000</td>
<td>39.9</td>
<td>36.1</td>
<td>71.2</td>
<td>45.7</td>
</tr>
<tr>
<td>2500</td>
<td>58.0</td>
<td>53.1</td>
<td>89.4</td>
<td>62.8</td>
</tr>
<tr>
<td>5000</td>
<td>72.5</td>
<td>68.2</td>
<td>97.7</td>
<td>75.8</td>
</tr>
<tr>
<td>7500</td>
<td>80.9</td>
<td>77.2</td>
<td>99.4</td>
<td>82.9</td>
</tr>
<tr>
<td>10000</td>
<td>86.6</td>
<td>83.3</td>
<td>99.9</td>
<td>87.4</td>
</tr>
</tbody>
</table>

Consistent with Proposition 2, the percentage of sales corresponding to the top N titles is lower at bookstores — both chain stores and independent ones — than it is at Amazon. This remains true even for large values of N. For instance, \( N = 10000 \) is about 10 times the
size of an average bookstore; nevertheless, bookstores’ specialization on (a variety of) niches limits the percentage of sales the top 10000 books account for.

Table 2 and Proposition 2 challenge the Anderson (2004) view that the long tail is an online phenomenon, that is, the prediction that “the Internet channel exhibits a significantly less concentrated sales distribution when compared with traditional channels” (Brynjolfsson, Hu, and Simester, 2011, p. 1373).

It is also reassuring to see how these figures are dramatically higher for mass merchandisers: by their very definitions, these stores tend to be quite homogeneous across the US, and concentrate their sales on a relatively limited set of popular books (the top 1000 sellers on this channel account for around 71% of its total sales, around twice the equivalent figure for bookstores). So, while the Anderson (2004) intuition captures the Amazon vs mass merchandisers dichotomy quite well, we find that it falls short of explaining the low concentration of sales displayed by other offline retailers.

Heterogeneity across channel–specific bestsellers. If indie bookstores are more likely to follow niche strategies, than their bestselling books should differ from those of book chains and Amazon more these two differ from each other. Table 3 confirms this is indeed the case.

Table 3
Commonality of top titles

<table>
<thead>
<tr>
<th></th>
<th>Chains</th>
<th>Bookstores</th>
<th>Mass Merch.</th>
<th>Online D2C</th>
</tr>
</thead>
<tbody>
<tr>
<td>Chains</td>
<td>100</td>
<td>45</td>
<td>21</td>
<td>56</td>
</tr>
<tr>
<td>Bookstores</td>
<td>100</td>
<td>17</td>
<td>100</td>
<td>34</td>
</tr>
<tr>
<td>Mass Merch.</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Online D2C</td>
<td></td>
<td></td>
<td></td>
<td>100</td>
</tr>
</tbody>
</table>

Niche genres. Next, we dig deeper into books’ genre classification. We define niche genres as below-median market share. Combined, niche genres account for a market share slightly lower than 2.7%. To corroborate our theory that bricks-and-mortar stores specialize in narrow niches as a result of Amazon’s growth, we look at niche sales by channel. (Related note: while niche genres and niche titles are distinct categories, they are correlated: titles in bottom quintile of sales are 9% more likely to be of a niche genre.)

Table 4
Niche genres

<p>| | |</p>
<table>
<thead>
<tr>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Bookstores</td>
<td>4.6</td>
</tr>
<tr>
<td>Chains</td>
<td>2.7</td>
</tr>
<tr>
<td>Online</td>
<td>3.7</td>
</tr>
<tr>
<td>Mass Merchants</td>
<td>0.6</td>
</tr>
</tbody>
</table>

Table 4 confirms that bookstore sell the highest percentage of niche genres, around 24%.
more than Amazon, 70% more than chains, and 660% more than mass merchandisers (which, unsurprisingly, almost exclusively order more familiar titles of more familiar genres).

Our model offers an additional prediction: small bookstores have stronger incentives to follow a niche strategy compared to larger ones. In our data, however, one potential confounder arises: small bookstores are more likely to have urban locations. Could it just be the case that urban consumers have, on average, a stronger taste for niche books?8

To get around this, we present our results for urban and rural bookstores separately. We define small bookstores all of those who order fewer than 300 books (the median is around 1700 books). Table 5 shows the results:

Table 5
Share of niche sales

<table>
<thead>
<tr>
<th>Comparison</th>
<th>Percentage</th>
</tr>
</thead>
<tbody>
<tr>
<td>Urban vs non-urban</td>
<td>+47%</td>
</tr>
<tr>
<td>Small urban vs large urban</td>
<td>+46%</td>
</tr>
<tr>
<td>Small non-urban vs large non-urban</td>
<td>+116%</td>
</tr>
</tbody>
</table>

The first row of table 5 confirms our intuition that an urban-rural divide is present. However, as the following two rows show, even controlling for this gap, it is still overwhelmingly the case that small bookstores are more likely to specialize on niche genres, as predicted by our theory.

4. Discussion

The central theme of this paper is bricks-and-mortar increasing degree of specialization as a way to survive in spite of Amazon’s dramatic growth over the last two decades.

This thesis might at first appear counterintuitive. If stores have limited shelf space, shouldn’t they just focus on serving the majority of consumers, and “forget” about preference minorities? This is an instance of Waldfogel’s “tyranny of the majority”, and the central thesis in Choi and Bell (2011). They look at the greater Los Angeles area and document a strong neighborhood-level correlation between the share of preference minorities (as proxied by ethnic minorities) and that of online sales.

We argue that Amazon’s increased dominance might have at least partly reversed this picture in a variety of retail markets. Chief among them is arguably the book market, which combines early Amazon penetration with enormous product variety.

In this sense, we notice that Barnes & Noble has recently appointed James Daunt – the founder of Daunt Books and managing director of large bookshop chain Waterstones in the UK – as its CEO in 2019 (Chaudhuri (2019)). Daunt’s philosophy, as he directly explains it, is centered around some core tenets: escaping broad genres, such as “self-help” or “history”, to organize bookstores around some specific, and often niche, themes; curate selections locally, allowing the local staff to pick books, and avoiding general, UK-wide catalogs; and avoid the convenience trap, focusing on the many perks of the offline experience instead (Segal, 2019).

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8. For example, urban consumers are on average more educated, and thus more likely to have formed an interest in subjects such as astronomy, machine learning, or European art history.
This business strategy strongly resonates with our theoretical findings. Specifically, in the context of this paper, we can interpret his words in a two-fold way. First, and most obvious, he clearly emphasizes the importance of specialization, by avoiding broad genres on which Amazon’s product variety cannot be neared; second, he stresses how increasing offline perks is another key to differentiation. Indeed, our model shows that small increases in these perks can be as profitable as large increases in store assortment.

It is important to note that for this form of bricks-and-mortar specialization to arise, a substantial fraction of consumers need to be specialists – that is, to have specific genre preferences). When consumers are eclectic, more and more brick and mortar stores will be forced to exit, as the generalist strategy (the only one effectively available to them in this scenario) becomes unprofitable.

Amazon’s highly personalized algorithms have long been believed to fracture consumers into taste niches, lengthening the tail in sales and thus the value of Amazon’s virtually infinite inventory. Here, we highlight a potential drawback from Amazon’s point of view: as more consumers acquire (or discover) a specific taste, smaller retailers will respond by targeting these increasingly relevant taste communities – whereas at least some retailers would have had to simply leave the market were most consumers generalists. Thus, with endogenous brick and mortar specialization decisions it is unclear whether consumer specialization ends up aiding Amazon.

If specialization is driven by Amazon’s increasing threat, then businesses not affected by Amazon should not specialize. An interesting – albeit admittedly partial – counterfactual in this sense is given by the stocking decisions of airport bookstores. These bookstores essentially operate as monopolists, since their customers are passengers looking for a book to read on their next flight. Indeed, airport bookstores are the definition of generalists: they offer a variety of bestsellers, indiscriminate of genre, year or author; and they look incredibly homogeneous across the US.

It is interesting to study the evolving book business landscape in light of our model’s predictions. An important and recent newcomer in the US book market is represented by Bookshop (Alter, 2020). Andy Hunter, Bookshop’s founder, pitched the e-commerce platform as “the indie alternative to Amazon”, and claimed it could represent a “boon for independent stores”.

In essence, Bookshop aggregate local bookstores’ catalogues and offers quick, efficient shipping to try and replicate Amazon’s business model, while supporting small businesses.

We stress that this type of aggregation is all the more powerful the more specialization (and, thus, heterogeneity) there is among bookstores: if all bookstores were stocking the same bestsellers, Bookshop’s business model would totally fail to replicate even a small fraction of Amazon’s variety.

Our model also offers a rationale for the growth in the number of independent bookstores in the US over the last decade: as more and more bookstores specialize, a larger number of them can coexist in each local market – as long as their areas of specialization differ, of course.

Moreover, we suggest that the growth in the number of bookstores that has been documented in the US over the last decade likely overstates the growth in their market shares: smaller, specialized stores are the most likely ones to survive (and open), to the expense of larger, more generalist ones, including chains like Barnes & Noble.

While we mostly focus on the book retail market, anecdotes of offline retail specialization
in a wide variety of markets abound. Consider Heatonist, for instance, a hot sauce specialist with locations in Manhattan and Brooklyn, New York. Heatonist stocks around 150 different hot sauces, almost always by independent, obscure producers. Popular sauces like Sriracha, which can be found at most US supermarkets, are not offered.

A quick search reveals the extreme extent of Heatonist’s specialization: among Heatonist’s staff picks, some are entirely absent on Amazon, while less than half have amassed more than 50 Amazon reviews as of March 2021. This is an ever greater degree of specialization than that we model in our paper – in which, for simplicity, we posit that Amazon stocks the whole product space, while brick and mortar stores optimize given capacity.

In the limit, the selection of hot sauces purchased on Amazon can become less niche than those sold offline. While that need not be the case in this or other markets – Heatonist, of course, coexists with several supermarkets only selling a few, commercially successful varieties of hot sauces – we show that in the context of books, this is more than a theoretical possibility.

5. Conclusion

How can bricks-and-mortar stores survive in an increasingly Amazon-dominated world? In this paper, we suggest that specialization on increasingly narrow niches represents a fundamental strategy to do so. Examples of highly specialized offline retailers abound. For example, Arkipelago in San Francisco exclusively sells Filipino books, while Sweet Pickle Books in the Lower East Side of New York sells pickles and used books, as an homage to the neighborhood’s history. Outside of the book industry, we have discussed Heatonist’s example – only one of many success stories in boutique food retailing.

Specialization, of course, comes at a steep cost: by specializing in a niche genre that only appeals to a few consumers, bricks-and-mortar stores automatically lose a majority of their potential buyers. However, we show that, as Amazon grows, and particularly for smaller stores, this is a price worth paying: it is better to strongly appeal to some consumers and be ignored by others than to leave all consumers lukewarm. This conclusion is robust to (and, in fact, strengthened by) a variety of extensions, including endogenous prices and offline competition.

Last, our theory allows us to revisit the celebrated long tail theory of Anderson (2004), and to add two novel elements to it: first, while the online long tail has been shown to grow longer and longer over time, we argue that it is unclear whether it is growing relatively longer than the offline long tail, contrary to Anderson’s central claim. Second, this implies that Amazon’s impact on the rise of niche consumption has been, if anything, understated, as it has neglected Amazon’s impact on the rise of the offline long tail.
Appendix

Proof of Proposition 1: Consider the case of a general bookstore. For a $x$ (or $y$) reader, visiting $b$ yields expected value

$$z + m(k/2)$$

By contrast, buying at $a$ yields expected value

$$m(s/2)$$

given that half of the total titles correspond to genre $x$ (or $y$). The indifferent buyer is characterized by

$$z = m(s/2) - m(k/2)$$

whenever $m(s/2) - m(k/2) < \bar{z}$. (Otherwise, every consumer strictly prefers seller $a$ and $b$ makes 0 profits.) Finally, $b$’s expected profit (when strictly positive) is given by

$$\pi_g = 1 - \left( \frac{m(s/2) - m(k/2)}{\bar{z}} \right)$$\hspace{1cm}(1)$$

Consider now the case of a bookstore specializing in genre $x$. For an $x$ reader, visiting $b$ yields expected value

$$z + m(k)$$

For a $y$ reader, the value of the $x$ specialty store is zero. As before, buying at $a$ yields expected value

$$m(s/2)$$

both for $x$ and for $y$ readers. The indifferent $x$ buyer is now characterized by

$$z = m(s/2) - m(k)$$

whenever $m(s/2) - m(k) < \bar{z}$. (Otherwise, every consumer strictly prefers seller $a$ and $b$ makes 0 profits.) Finally, $b$’s expected profit (when strictly positive) is given by

$$\pi_s = \frac{1}{2} \left( 1 - \frac{m(s/2) - m(k)}{\bar{z}} \right)$$\hspace{1cm}(2)$$

(Note that, by specializing, $b$ expects to make, at most, $\frac{1}{2}$ in sales. This is because it will have lost all potential readers from the genre it did not specialize in.)

If $s = 0$, that is, if Amazon is out of the picture, then being a general store is trivially a dominant strategy: the store sells to a measure 1 of consumers, whereas the specialty store sells to a measure $\frac{1}{2}$ only (at the same price). Specifically, a general store’s profits are equal to 1, the highest value possible, while a specialty store would only achieve its upper bound, $\frac{1}{2}$.

At the opposite end, let $s_g$ is such that $(m(s_g/2) - m(k/2)) / \bar{z} = 1$. For $s = s_g$, we have $\pi_g = 0$, whereas

$$\pi_s = \frac{1}{2} \left( 1 - \frac{m(s_g/2) - m(k)}{\bar{z}} \right) > \frac{1}{2} \left( 1 - \frac{m(s_g/2) - m(k/2)}{\bar{z}} \right) = 0$$

Such an $s$ will exist whenever $\lim_{s \to \infty} (m(s/2) - m(k/2)) / \bar{z} > 1$, which is implied by Assumption 1. (As mentioned in the text, if this condition does not hold — for instance
because $\pi$ or $k$ are very large, or $m(n)$ is very flat —, then it may always be optimal for the store to be generalist.)

Given continuity of $\pi_g$ and $\pi_s$, it follows from the intermediate value theorem that there exists an $s_{gs} \in (0, s_g)$ such that $\pi_g(s_{gs}) = \pi_s(s_{gs})$, where for notational simplicity we have suppressed the store profit’s dependence on $k$ and $\pi$. To show that $s_{gs}$ is unique we note that

$$
\frac{d(\pi_s - \pi_g)}{ds} = (-m'(s) + 2m'(s)) / (4\pi) = m'(s)/(4\pi) > 0
$$

(3)

where the inequality follows from the fact that $m(s)$ is strictly increasing for every $s$. This concludes the first part of the proof.

To show that $s_{gs}(k, \pi)$ increases in $k$ and $\pi$, we compute the derivative of the profit difference $(\pi_s - \pi_g)$ with respect to $k$ and $\pi$:

$$
\frac{\partial(\pi_s - \pi_g)}{\partial k} = \frac{m'(k)}{2\pi} - \frac{m'(k/2)}{2\pi} = \frac{1}{2\pi} (m'(k) - m'(k/2)) < 0
$$

(4)

where the inequality follows from concavity of $m$ (David, 1997). Similarly,

$$
\frac{\partial(\pi_s - \pi_g)}{\partial \pi} = \frac{(s - m(k))}{2\pi^2} - \frac{(s - m(k/2))}{\pi^2} = \frac{1}{\pi}(1 - \pi)/(1 - \pi)/\pi = -1/(2\pi) < 0
$$

(5)

By the implicit function theorem,

$$
\frac{\partial s_{gs}(k, \pi)}{\partial k} = -\frac{\partial(\pi_s - \pi_g)/\partial k}{\partial(\pi_s - \pi_g)/\partial s} > 0
$$

where the inequality follows from (3) and (4). Also by the implicit function theorem,

$$
\frac{\partial s_{gs}(k, \pi)}{\partial k} \bigg|_{s = s_{gs}} = -\frac{\partial(\pi_s - \pi_g)/\partial \pi}{\partial(\pi_s - \pi_g)/\partial s} \bigg|_{s = s_{gs}} > 0
$$

where the inequality follows from (3) and (5).

**Proof of Proposition 2:** Suppose store $b$ specializes in genre $x$, the popular genre ($\alpha > 1/2$). Then store $b$ reaches at most $\alpha k$ of its potential $k$ customers. The indifferent customer (indifferent between store $a$ and store $b$) has $z$ such that

$$
m(\alpha s) = m(k)
$$

where $\alpha s$ is total supply of titles of genre $x$, all of which are available at store $a$; and $k$ is the supply of titles of genre $x$ at store $b$ (in other words, all of store $b$’s capacity, $k$, is devoted to carrying genre $x$ titles). It follows that, of the $k$ store-$b$ potential customers, a fraction $\alpha k$ is interested in the genre offered by store $b$, and a fraction $(m(\alpha s) - m(k)) / \pi$ of this fraction prefers store $b$ to store $a$. This implies that store $b$’s profit from specializing in genre $x$ is given by

$$
\pi_x = \alpha k \left(1 - (m(\alpha s) - m(k)) / \pi\right)
$$

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Similarly, the profit from specializing in genre \( y \) is given by
\[
\pi_y = (1 - \alpha) \left[ 1 - \left( m \left( (1 - \alpha) s \right) - m(k) \right) / \zeta \right]
\]

If \( s = 0 \), that is, if Amazon is out of the picture, then the popular genre \( x \) is trivially a dominant strategy: the store sells to a measure \( \alpha \) of consumers, whereas the niche-genre store sells to a measure \( 1 - \alpha < \alpha \) only (and at the same price). At the opposite end, let \( s_x \) be the value of \( s \) such that \( \pi_x = 0 \). Such an \( s \) will exist whenever \( \lim_{s \to \infty} \left( m(\alpha s) - m(k) \right) / \zeta > 1 \), which is equivalent to Assumption 1. We then have
\[
\pi_y = (1 - \alpha) \left[ 1 - \left( m \left( (1 - \alpha) s_x \right) - m(k) \right) / \zeta \right] > \alpha k \left( 1 - \left( m(\alpha s_x) - m(k) \right) / \zeta \right) = 0
\]

(If this condition does not hold — for instance because \( \zeta \) or \( k \) are very large, or \( m(n) \) is very flat —, then it may always be optimal for the store to choose the popular genre.)

Given continuity of \( \pi_x \) and \( \pi_y \), the intermediate value theorem implies that there exists at least one value \( \hat{s}_{xy} \in (0, s_x) \) such that \( \pi_g(\hat{s}_{xy}) = \pi_s(\hat{s}_{xy}) \), where for notational simplicity we have suppressed the store profit’s dependence on \( k \) and \( \zeta \). Let \( s_{xy} \) be the highest of these values. Then \( \pi_y \geq \pi_x \) for \( s > s_{xy} \).

**Proof of Proposition 3:** A general store net profit is given by
\[
\pi_g = k \left( 1 - \left( m(s/2) - m(k/2) \right) / \zeta \right) - c k
\]
It follows exiting is better than being a general store if and only if
\[
c > c_g(s) \equiv 1 - \left( m(s/2) - m(k/2) \right) / \zeta
\]
Note that
\[
\frac{dc_g(s)}{ds} = -m'(s/2) / \zeta < 0
\]
A specialty store’s net profit is given by
\[
\pi_s = \frac{1}{2} k \left( 1 - \left( m(s/2) - m(k) \right) / \zeta \right) - c k
\]
It follows that exiting is better than being a specialty store if and only if
\[
c > c_n(s) \equiv \frac{1}{2} \left( 1 - \left( m(s/2) - m(k) \right) / \zeta \right)
\]
Note that
\[
\frac{dc_n(s)}{ds} = -\frac{1}{2} m'(s/2) / \zeta < 0
\]
Proposition 1 implies that \( c_g(s) > c_n(s) \) if and only if \( s < s_{gs} \), where \( s_{gs} \) is the critical value (derived in Proposition 1) such that \( \pi_g = \pi_s \). (Figure 3 illustrates the result in the case when \( F(v) = v \).) It follows that
\[
c'(s) \equiv \min \{ c_g(s), c_n(s) \}
\]
defines a downward-sloping boundary such that exit is optimal if and only if $c > c'(s)$. Taking limits, we find that
\[
\lim_{s \to \infty} \pi_s(s) = \frac{1}{2} k \left( 1 - \frac{(\bar{\tau} - m(2k))}{\bar{\tau}} \right) - c k
\]
This is positive if and only if $c < \bar{\tau}$. It follows that $c < \bar{\tau}$, then exit never takes place, whereas if $c > \bar{\tau}$ there exists a finite $s^0(c)$ such that exit takes place if and only if $s > s^0(c)$. ■

**Proof of Proposition 4:** We first solve for the optimal prices of a general store given that store $a$ sets $p_a$. Store $g$’s profit is given by $\pi_g = p_g q_g$, where $q_g$, the store’s sales, are given by
\[
q_g = 1 - (m(s/2) - m(k/2) - p_a + p_g) / \bar{\tau}
\]
The profit-maximizing price, quantity and profit levels are given by
\[
\hat{p}_g = \frac{1}{2} \left( \bar{\tau} - m(s/2) + m(k/2) + p_a \right) \tag{6}
\]
\[
\hat{q}_g = \frac{1}{2} \left( \bar{\tau} - m(s/2) + m(k/2) + p_a \right) / \bar{\tau} = \hat{p}_g / \bar{\tau} \tag{7}
\]
\[
\hat{\pi}_g = \hat{p}_g \hat{q}_g = (\hat{p}_g)^2 / \bar{\tau} \tag{8}
\]
In the case of a specialty store, profit is given by $\pi_s = p_s q_s$, where $q_s$, the store’s sales, are given by
\[
q_s = \frac{1}{2} \left( 1 - (m(s/2) - m(k) - p_a + p_s) / \bar{\tau} \right)
\]
The profit-maximizing price, quantity and profit levels are given by
\[
\hat{p}_s = \frac{1}{2} \left( \bar{\tau} - m(s/2) + m(k) + p_a \right) \tag{9}
\]
\[
\hat{q}_s = \frac{1}{2} \left( \bar{\tau} - m(s/2) + m(k) + p_a \right) / \bar{\tau} = \hat{p}_s / (2 \bar{\tau}) \tag{10}
\]
\[
\hat{\pi}_s = \hat{p}_s \hat{q}_s = (\hat{p}_s)^2 / (2 \bar{\tau}) \tag{11}
\]
Direct inspection of (6) and (9) reveals that
\[
\hat{p}_s > \hat{p}_g
\]
that is, in equilibrium specialty bookstores set a higher price. Moreover, from (6)–(7) and (9)–(10) we conclude that
\[
\hat{p}_s / \hat{q}_s = 2 \bar{\tau} > \hat{p}_g / \hat{q}_g = \bar{\tau} \tag{12}
\]
Consider the extreme case when $s = 0$. Straightforward computation shows that $\hat{\pi}_g > \hat{\pi}_s$ if and only if Assumption 2 holds. At the opposite end, let $s_g$ be such that $\hat{p}_g = 0$. Comparing (6) and (9), we see that, at $s = s_g$, $\hat{p}_s > \hat{p}_g = 0$. From (8) and (11) we conclude that, at $s = s_g$, $\hat{\pi}_s > \hat{\pi}_g = 0$. Since both $\hat{\pi}_s$ and $\hat{\pi}_g$ are continuous we conclude by the intermediate-value theorem that there exists at least one $\tilde{s}_g s$ such that $\tilde{\pi}_s = \hat{\pi}_g$. Let $s_g$ be the highest of these values. Then $\tilde{\pi}_s > \tilde{\pi}_g$ when $s_g < s < s_g$. Finally, notice that, at $s = s_g$, $\tilde{\pi}_g = \tilde{\pi}_s$, that is, $\hat{p}_g \tilde{q}_g = \hat{p}_s \tilde{q}_s$. Since, from (12), $\hat{p}_s / \hat{q}_s > \hat{p}_g / \hat{q}_g$, it must be that, at $s = s_g$, $\hat{p}_s > \hat{p}_g$ and $\hat{q}_s < \hat{q}_g$. Since these are strict inequalities, they also hold in the neighborhood of $s = s_g$. It follows that, in the right neighborhood of $s = s_g$, a specialty store earns a higher profit, sets a higher price, and captures a lower market share. ■
References


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